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	NOIDA INSTITUTE OF ENGINEERING AND TECHNOLOGY, GREATER NOIDA					
(An Autonomous Institute Affiliated to AKTU, Lucknow)						
M.Tech (Integrated)						
	SEM: IV - THEORY EXAMINATION (2023 -2024)					
	Subject: Theory of Automata and Formal Languages					
Time: 3	Hours Max. Marks: 100					
General	Instructions:					
•	ify that you have received the question paper with the correct course, code, branch etc.					
	uestion paper comprises of three Sections -A, B, & C. It consists of Multiple Choice					
	s (MCQ's) & Subjective type questions.					
	<ul><li>2. Maximum marks for each question are indicated on right -hand side of each question.</li><li>3. Illustrate your answers with neat sketches wherever necessary.</li></ul>					
	e suitable data if necessary.					
	ably, write the answers in sequential order.					
-	eet should be left blank. Any written material after a blank sheet will not be					
evaluatea	d/checked.					
	SECTION A 20					
1. Attem	pt all parts:-					
1-a.	Mealy and Moore machine can be categorized as: (CO1)					
	(a) Inducers					
	(b) Transducers					
	(c) Turing Machines					
	(d) Linearly Bounder Automata					
1-b.	A Language for which no DFA exist is a (CO1) 1					
	(a) Regular Language					
	(b) Non-Regular Language					
	(c) May be Regular					
	(d) Cannot be said					
1-c.	A language is regular if and only if (CO2)					
	(a) accepted by DFA					
	(b) accepted by PDA					
	(c) accepted by LBA					
	(c) accepted by Lb. (					

	(d) accepted by Turing machine	
1-d.	Which of the following is not a regular expression? (CO2)	1
	(a) [(a+b)*-(aa+bb)]*	
	(b) [(0+1)-(0b+a1)*(a+b)]*	
	(c) (01+11+10)*	
	(d) (1+2+0)*(1+2)*	
1-e.	A grammar that produce more than one parse tree for same sentence is called	1
	: (CO3)	
	(a) Ambiguous	
	(b) Unambiguous	
	(c) Regular	
	(d) None	
1-f.	Type-3 grammars generatelanguages. (CO3)	1
	(a) Regular	
	(b) context-free	
	(c) context-sensitive	
	(d) All of above	
1-g.	Which of the following language over {a , b, c } is accepted by deterministic	1
	push down automata ? (CO4)	
	(a) { w c w <sup>R</sup> / w $\in$ (a , b )* }	
	(b) { $ww^R / w \in \{a, b, c\}^* \}$	
	(c) { $a^n b^n c^n / n >= 0$ }	
	(d) { w / w is palindrome {a , b , c}	
1-h.	A language L is said to be a deterministic context free language if and only if	1
	(CO4)	
	(a) There exists a dpda M such that L=L(M)	
	(b) There exists a dpda M such that L≠L(M)	
	(c) Both A and B	
	(d) None of the above	
1-i.	Turing Machine consist of: (CO5)	1
	(a) Input Tape	
	(b) Blank Symbol	
	(c) Tape head	

	(d) All of these				
1-j.	If Turing machine accepts all the words of the language L and rejects or loops for other words, which are not in L, then L is said to be (CO5)	1			
	(a) recursively enumerable				
	(b) recursive				
	(c) context free language (cfl)				
	(d) none of them				
2. Attem	2. Attempt all parts:-				
2.a.	Define relationship between grammar and language in theory of computation. (CO1)	2			
2.b.	Write regular expression for language over $\Sigma = \{0, 1\}$ where every string contains exactly three 0's (CO2)	2			
2.c.	Explain the concept of ambiguity with example. (CO3)	2			
2.d.	Define 2 Stack PDA . (CO4)	2			
2.e.	Explain Church's Thesis. (CO5)	2			
	SECTION B	30			
3. Answe	er any <u>five</u> of the following:-				
3-a.	Design DFA for the following Language. (CO1)	6			
	a) L = {w : Na(w) <= 3, w $\in$ (a ,b)*}				
	b) L= { w : IwI = 2, w $\in$ (a ,b)*}				
3-b.	Draw a DFA to accept string of 0's and 1's ending with the string 011. (CO1)	6			
3-c.	State and prove pumping lemma theorem of the regular sets. (CO2)	6			
3-d.	Design a Right Linear Grammar for a language L= all strings containing even number of a's over an alphabet (a,b). (CO2)	6			
3.e.	Simplify the following context free grammar. (Here, $\Lambda$ stands for epsilon ( $\epsilon$ )). ( CO3) $S \rightarrow TUV$ $T \rightarrow aTb \ / \Lambda$ $U \rightarrow cU \ / \ \Lambda$ $V \rightarrow aVcW$ $W \rightarrow bW \ / \ \Lambda$	6			
3.f.	Explain string acceptance by PDA using final state and using empty stack. (CO4)	6			
3.g.	Design a Turing machine which recognizes the language $L = \{ a^n b^n \mid n \ge 1 \}$	6			

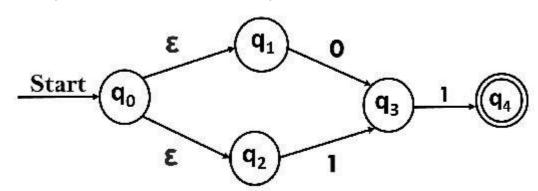
}. (CO5)

**SECTION C** 

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### 4. Answer any one of the following:-

4-a. Convert epsilon-NFA to NFA without epsilon . (CO1) 10



4-b. Design DFA for Following Languages: (CO1)

- 10
- (a) Design a FA with  $\Sigma = \{0, 1\}$  which accepts those string which starts with 0 and ends in 1.
- (b) Draw a DFA that accepts a language L over input alphabets  $\Sigma = \{a, b\}$  such that L is the set of all strings that does not contain 'ba' as substring.
- (c) Design a FA with  $\Sigma = \{0, 1\}$  that accepts those string where number of 1's are even.
- (d) Design a FA with  $\Sigma = \{0, 1\}$  accepts the only input 101.

# 5. Answer any one of the following:-

- 5-a. Explain Closure properties of Regular Expression. (CO2)

  10

  Prove that the Union, Intersection and compliment of regular language is regular
- 5-b. Construct a regular grammar G generating the regular set represented 10 by (CO2)
  - i) P=a\*b(a+b)\*
  - ii) P= ab\*(a+b)

## 6. Answer any one of the following:-

6-a. Discuss the Chomsky Normal Form . Change the following grammar into 10 Chomsky Normal Form (CNF). (CO3)

S ---> abSb / a / aAb

A ----> bS / aAAb

6-b. Design Left Most Derivation and Right Most Derivation and Parse Tree for the given grammar (CO3)

 $E \rightarrow E+T/T$ 

 $T \rightarrow T*F/F$ 

 $F \rightarrow (E)/id$ 

### 7. Answer any one of the following:-

7-a. Compare Deterministic PDA with Non-deterministic PDA. Construct the 10 Pushdown Automata for the following language : (CO4)

$$L = \{ a^n b^{n+1} / n = 1,2,3 ..... \}$$

7-b. Compare Deterministic and Non deterministic PDA. Is it true that non 10 deterministic PDA is more powerful than deterministic PDA? Justify your answer. (CO4)

## 8. Answer any one of the following:-

- 8-a. Explain any two of the following: (CO5)
  - (i) Universal Turing Machine
  - (ii) Recursively Enumerable Language
  - (iii) Halting Problem
  - (iv) Post's Correspondence Problem
- 8-b. Design a Turing machine which recognizes the language consisting of all 10 strings of 0s whose length is a power of 2. i.e., it decides the language  $L = \{0^n 2^n | n \ge 0\}$ . (CO5)